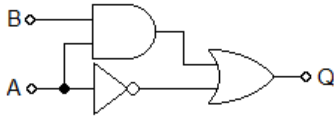


Overview

In this unit your students should:

- meet the use of truth tables to analyse the behaviour of logic systems
- learn to use Boolean algebra to represent truth tables of logic gates and systems
- learn to use simple rules to simplify Boolean algebra expressions
- understand how to use basic gates to design systems which obey a given expression

This should not require more than 4 hours of class time.

Hour	Suggested Activity
1	<p>You could start by testing their knowledge of the six basic logic gate symbols and truth tables.</p> <p>Work through a simple example of working out the behaviour of a combination of logic gates with a truth table. You could use this system.</p>  <p>Set them to do the NOT-AND-OR circuits practical. This should give them some practice in working out truth tables of combinations of logic gates.</p> <p>Ask them to study 4.1 of the text book before the next session.</p>
2	<p>Get them to work through page 1 of the Truth Tables exercises. They will probably need to consult 4.1 of the text book.</p> <p>Work through an example of eliminating brackets and using basic rules for simplifying. You could show how the expression $Q = A \cdot (\bar{A} + B) + B$ reduces to $Q = B$.</p> <p>Get them to work through page 2 of the Truth Tables exercises. Encourage them to work out the answers together, as the discussion will help to reinforce their understanding.</p> <p>Ask them to answer question 3 on page 64 of the text book before the next session.</p>
3	<p>Launch them straight into the Logic system design practical. They should already have the switches, LEDs and resistors on their breadboard.</p> <p>Not all of the students will finish the second task in the time available.</p> <p>Ask them to memorise the rules of Boolean algebra on page 142 of the text book before the next session.</p>
4	<p>You could start the session with a quick informal test to probe their recall of the basic rules of Boolean algebra introduced so far.</p> <p>Students should use the rest of this session to answer questions 1, 2 and 4 on page 64 of the text book. They may need some hints. Encourage them to make up their own expressions for NAND and NOR gates based on their truth table.</p> <p>Some students may need to omit the last (and hardest) part of each question.</p> <p>Ask them to study 4.2 of the text book before the next session.</p>

Model Answers

1 (a)

(b) $X = \bar{C}, Y = \bar{X}B + \bar{X}.B + X\bar{B}, Z = \bar{B}.A$

(c) $Q = Y.Z = (C\bar{B} + C.B + \bar{C}\bar{B}).\bar{B}.A$

$Q = C.\bar{B}.\bar{B}.A + C.B.\bar{B}.A + \bar{C}.\bar{B}.\bar{B}.A$

$Q = C.\bar{B}.A + 0 + \bar{C}.\bar{B}.A = (C + \bar{C}).\bar{B}.A$

$Q = 1.\bar{B}.A = \bar{B}.A$ (a NOR gate)

C	B	A	X	Y	Z	Q
0	0	0	1	1	1	1
0	0	1	1	1	0	0
0	1	0	1	0	0	0
0	1	1	1	0	0	0
1	0	0	0	1	1	1
1	0	1	0	1	0	0
1	1	0	0	1	0	0
1	1	1	0	1	0	0

2 (a)

$X = \bar{B}.A + C + B.A$

(b) $X = A.(\bar{B} + B) + C = A.1 + C = A + C$

(c) $Y = \bar{C}.B.A + \bar{B}.A$

(d) $Y = A.(\bar{C}.B + \bar{B}) = A.(\bar{C}.B + \bar{B}.1) = A.(\bar{C}.B + \bar{B}.(C + \bar{C})) = A.(\bar{C}.B + \bar{C}\bar{B} + \bar{B}.C)$

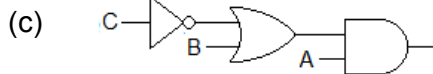
$Y = A.(\bar{C}.(B + \bar{B}) + \bar{B}.(C + C)) = A.(\bar{C}.1 + \bar{B}.1) = A.(\bar{C} + \bar{B})$

3 (a)

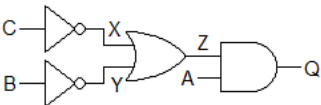
$Q = \bar{C}\bar{B}.A + \bar{C}.B.A + C.B.A$

(b) $Q = \bar{C}\bar{B}.A + \bar{C}.B.A + \bar{C}.B.A + C.B.A = \bar{C}.A.(\bar{B} + B) + B.A.(C + C)$

$Q = \bar{C}.A.1 + B.A.1 = \bar{C}.A + B.A = A.(\bar{C} + B)$



4 (a)



(b)

C	B	A	X	Y	Z	Q
0	0	0	1	1	1	0
0	0	1	1	1	1	1
0	1	0	1	0	1	0
0	1	1	1	0	1	1
1	0	0	0	1	1	0
1	0	1	0	1	1	1
1	1	0	0	0	0	0
1	1	1	0	0	0	0

(c)

C	B	A	P
0	0	0	1
0	0	1	1
0	1	0	1
0	1	1	1
1	0	0	0
1	0	1	1
1	1	0	0
1	1	1	0

(d)

$Q = A\bar{B} + A.C$

